


Science 20 Unit B - Physics

Impulse is a change in momentum



Page 1

POS Checklist:


define change in momentum as impulse ($mt = Ft$) and relate impulse to acceleration and Newton's second law of motion ($p/t = ma$), and apply the concept of impulse to explain the functioning of a variety of safety devices.

Page 2

the LD files

Another completely unrelated story from the life of LD...

LD recently gained a baby but is very worried about dropping him. Because nothing makes you look worse as a father than dropping your baby.



...Except maybe making your baby do this...

Page 3

As LD is a physicist, when he has a problem, he turns to physics.


So let's examine the information we know and formulate a hypothesis to solve LD's problem:

FACT: dropping babies is BAD

FACT: LD often has to hold his baby, say over the baby-change-table

FACT: Because of his clumsiness, LD is bound to drop the baby once in a while.


Oops!



What can LD do to not fail as a father?

Page 4

That's right! LD could put a pillow or cushion down so the baby wouldn't get hurt! But how does that work?



A cushion, mat or net slows down your landing. And if we assume that pain is caused by a force acting on the body, then there must be some relationship between the time and force.

Let's investigate this relationship between force and time.

Page 5

$$\vec{F} = \frac{\Delta \vec{p}}{\Delta t}$$

Recall that Newton wrote his Second Law in terms of momentum. This could be arranged as:

$$\Delta \vec{p} = \vec{F} \Delta t$$

From this, we can see that the product of force and time is momentum. Let's apply this to a real-life situation.

Page 6

Assume we have an egg with mass m and initial velocity \vec{v}_i , dropped from equal heights onto two different floors: one concrete floor and one with padding on it.



Page 7

•The \vec{p}_i in each trial is the same as the mass and velocity of each egg is equal.

•The \vec{p}_f are both 0 as the egg comes to a stop.

•This means the change in momentum is the same in each trial.

$$\Delta \vec{p} = \vec{p}_f - \vec{p}_i$$

Page 8

Now, just because the momentums are the same does not mean the force and time are the same:

eg) $\Delta p = F \Delta t$

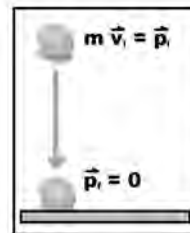
$$12 \text{ Ns} = (1 \text{ N})(12 \text{ s})$$

$$12 \text{ Ns} = (2 \text{ N})(6 \text{ s})$$

$$12 \text{ Ns} = (3 \text{ N})(4 \text{ s})$$

$$12 \text{ Ns} = (4 \text{ N})(3 \text{ s}) \dots \text{etc...}$$

*Force and time can vary, but as one goes up, the other goes down if momentum must be the same.



In the first trial, the time the egg takes to stop is very fast. It hits the concrete and stops immediately. This means we have a small time and a large force to make up the momentum.

$$\Delta \vec{p} = \underset{\substack{\text{large} \\ \text{force}}}{\vec{F}} \underset{\substack{\text{small} \\ \text{time}}}{\Delta t}$$

Page 9

Page 10



In the second trial, the egg stops over a longer period of time. This allows the same momentum change, but with a smaller force acting.

$$\Delta \vec{p} = \underset{\substack{\text{small} \\ \text{force}}}{\vec{F}} \underset{\substack{\text{large} \\ \text{time}}}{\Delta t}$$

In each of these trials, the change in momentum is the same. We call the change in momentum of an object the impulse.

$$\vec{F} \Delta t = m \Delta \vec{v}$$

Impulse is defined as the product of a force and the time interval that force acts over. It is the change in momentum an object experiences.

Impulse is a vector quantity.

Page 11

Page 12

Note: this formula, along with all the others, can be found in your data booklet:

$$\vec{p} = m\vec{v} \qquad \vec{F}\Delta t = \text{impulse}$$

$$\Delta\vec{p} = \vec{F}\Delta t, \Delta\vec{p} = \vec{p}_f - \vec{p}_i \qquad \vec{p} = \text{momentum (kg}\cdot\text{m/s)}$$

PAGE 2

Page 13

Impulse does not receive a symbol (other than Δp), but it does receive the units of Ns or kgm/s

ex) A force of 14.0 N acts on a 6.00 kg ^{bowling ball} ~~baseball~~ for 1.00 ms. What is the change in velocity of this object?

$$\frac{1 \text{ ms}}{1000} = 0.001 \text{ s}$$

$$\vec{F}\Delta t = m\Delta\vec{v}$$

$$(14 \text{ N})(0.001 \text{ s}) = (6 \text{ kg})\Delta\vec{v}$$

$$\Delta\vec{v} = \frac{0.014 \text{ N}\cdot\text{s}}{6 \text{ kg}} = 2.33 \times 10^{-3} \frac{\text{m}}{\text{s}}$$

Ans =

Page 14

ex) A 5.00 kg ^{bird} accelerates uniformly from rest to a velocity of 15.0 m/s East. What is the impulse on the object?

$$\Delta\vec{p} = m\Delta\vec{v}$$

$$= (5 \text{ kg})(15 \text{ m/s})$$

$$= \underline{75 \text{ kg}\cdot\text{m/s}}$$

* This is the change in velocity

Ans =

Page 15

ex) A 1.0 kg ball hits the floor with a velocity of 2.0 m/s. If this ball bounces up with a velocity of 1.6 m/s, what is the ball's impulse?

$$\Delta\vec{p} = m\Delta\vec{v}$$

$$= (1 \text{ kg})(1.6 \text{ m/s} - 2 \text{ m/s})$$

$$= \underline{-0.40 \text{ kg}\cdot\text{m/s}}$$

* Recall $\Delta =$ "change in" = final minus initial

Ans =

Page 16

Applications of Impulse

There are a number of applications of impulse in everyday life. Be familiar with these for your exam!

- car crashes: old rigid cars vs. new crumpling cars
- "rolling with a punch" in boxing
- safety equipment in cars like air bags, new dashboards, steering columns
- helmets
- breaking a board with your fist!
- etc...

Page 17

Practice: Page 256 #5-12

Page 18